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## Outline

- Introduction: the S language
- Basic S concepts
- Practicalities: help, commands, running R, ESS
- Data structures
- Numbers and vectors
- Objects, modes and attributes
- Factors
- Arrays and matrices
- Lists and data frames
- Vectors
- Matrices
- Text handling in $\mathbf{R}$
- Importing and exporting data


## Outline (continued)

- Programming in $\mathbf{S}$
- Dates and times
- Miscellanea
- Scope
- Customising the environment
- Installing packages
- Accessing source code
- Mathematical expressions
- Probability distributions
- Optimisation
- An extended example: the Weibull distribution


## Outline (continued)

- S graphics
- Trellis graphics and lattice
- Sweave
- Writing functions and packages
- S4 methods


## Resources

- CRAN (Comprehensive R Archive Network), local mirror http://cran.stat.auckland.ac.nz/
- An Introduction to R
http://cran.stat.auckland.ac.nz/doc/manuals/R-intro.pdf
- A Reference Card for R from Tom Short
www.stat.auckland.ac.nz/~dscott/782/RrefcardShort.pdf
- The ESS Manual
http://www.stat.auckland.ac.nz/~dscott/782/essmanual.pdf
- A Reference Card for ESS
www.stat.auckland.ac.nz/~dscott/782/essrefcard.pdf
- The Sweave User Manual
www.stat.auckland.ac.nz/~dscott/782/Sweave-manual-20050103.pdf


## Introduction: The S Language

## The S Language

$\mathbf{S}$ is a language and computational environment designed specifically for carrying out "statistical" computations.

- It was designed by statisticians so that they could easily develop and deploy new statistical methodology.
- It brings good ideas on numerical methods, graphics and language design together in a single useful package.
- It represents a philosophy of turning ideas into programs quickly and easily.


## History

- The S language was developed at AT\&T/Lucent Bell Laboratories by John Chambers, with the assistance of Rick Becker, Allan Wilks and Duncan Temple Lang.
- The development of the language was aided by collaboration of the AT\&T researchers with a much wide group of academics and practitioners.
- The developers of $\mathbf{S}$ language recognise a number of distinct versions of $\mathbf{S}$ which came about during the development of the language.


## S Version 1

- Released in 1980.
- The first version of $\mathbf{S}$ released outside of Bell Labs.
- Used primarily in North American universities.
- It is described in the book

S : A Language and Environment For Data Analysis and Graphics
(also known as the "brown" book).

## S Version 2

- Released in 1987.
- Based initial experiences developing S, Chambers developed a new environment called QPE.
- This added the ability for users to define their own extensions to the language. This version of $\mathbf{S}$ is described in the book The NEW S Language (also known as the "blue" book).


## S Version 3

- Released in 1990.
- Added some basic object-oriented facilities, which were seen as essential for providing good modelling facilities.
- Included "State of the Art" modelling software.
- These extensions are described in the book Models in $S$
also known as the "white" book.


## S Version 4

- Released in 2000.
- Contains a rather more sophisticated version of object-oriented programming and a number of other developments which support programming activities with S.
- The initial versions of S4 ran very slowly, and this has tended delay its acceptance by the $\mathbf{S}$ programming community.
- This version of $\mathbf{S}$ is described in the book

Programming with Data
(also known as the "green book").

## The ACM Software Systems Award

- The importance of John Chambers' work on S was recognised in 1998, when he was awarded the ACM award for software systems.
- The ACM award is the world's most prestigious award for software engineering.
- Other winners of the ACM award include Thompson and Ritchie for the UNIX operating system and Don Knuth for the $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ typesetting system.


## S Implementations

S This was the version of $S$ used internally for research purposes at Bell Labs. A small group of external researchers had access to this version.

S-PLUS In the late 1980s AT\&T sold the rights to sell a commercial version of $S$ to Seattle-based Statistical Sciences. The company has since been renamed twice and is now known as Insightful.

R
In the early 1990s Robert Gentleman and Ross Ihaka University of Auckland developed an alternative free $\mathbf{S}$ implementation. It is called $\mathbf{R}$ after its original developers: Robert Gentleman and Ross Ihaka.

- $\mathbf{R}$ is now developed by the R -Core Development Team
- New releases are produced around every six months
- In addition to base $\mathbf{R}$ there are a number of recommended packages which comprise the basic $\mathbf{R}$ distribution
- There are around 1000 additional packages produced by users of $\mathbf{R}$
- The source code and compiled versions of $\mathbf{R}$ for Windows, Macintosh and various Linux distributions (debian, redhat, ubuntu, ...) are available from CRAN
- CRAN also has user-produced packages and documentation


## Basic S Concepts

## Basic S Concepts

- S is a computer language which is processed by a special program called an interpreter
- The interpreter reads and evaluates S language expressions, and prints the values determined for the expressions
- The interpreter indicates that it is expecting input by printing its prompt at the start of a line
- By default the $\mathbf{S}$ prompt is a greater than sign >.
- On UnIX or LInUX machines you can start Splus by typing "Splus" and R by typing "R"


## Using S as a Calculator

- A user types expressions to the $\mathbf{S}$ interpreter
- S responds by computing and printing the answers
> $1+2$
[1] 3
> $1 / 2$
[1] 0.5
> $17 \wedge 2$
[1] 289


## Grouping and Evaluation

- Normal arithmetic rules apply,
> $1+2$ * 3
[1] 7
- But evaluation can be controlled with parentheses
$>(1+2) * 3$
[1] 9


## Built-in Functions

- Many mathematical and statistical functions are available.
> sqrt(2)
[1] 1.414214
> $\log (10)$
[1] 2.302585
> qnorm(0.975)
[1] 1.959964


## Assignment

- Values are stored by assigning them a name
- The resulting name-value pair is called a variable.
- The statements:
$>z=17$
$>z<-17$
store the value 17 under the name $z$.
- You can also write the assignment in the other direction 17 -> z


## Using Variables

- Variables can be used in expressions in the same way as numbers
- For example,
$>z<-17$
> z<-z+23
$>Z$
[1] 40


## Special Values

- In addition to ordinary numbers, $\mathbf{S}$ has special codes which indicate infinite and undefined numerical values
> 1/0
[1] Inf
> $-1 / 0$
[1] -Inf
> 0/0
[1] NaN


## Special Values

- Infinities and NaNs have expected properties
> 100 + Inf
[1] Inf
> $100+\mathrm{NaN}$
[1] NaN
> 100/Inf
[1] 0
> Inf/Inf
[1] NaN


## Practicalities

## Help

- Help using help or preceding with ? help (solve) or ?solve
- Other help from help.start, help.search, and example, e.g.

```
help.search("unix")
help(package="HyperbolicDist")
example(system.time)
```


## Commands

- $\mathbf{R}$ is case-sensitive
- Names are locale dependent, alphanumeric characters allowed, plus '.' and '.'
- Commands are either expressions or assignments
- Expressions are evaluated and printed
- An assignment evaluates an expression and passes the value to a variable: the result is not automatically printed
- An assignment in brackets is printed
- \# denotes the start of a comment


## Commands

> $1: 10$
[1] $1 \begin{array}{lllllllllll} & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10\end{array}$
$>x<-1: 10$
$>(x<-10: 20)$
[1] $\begin{array}{llllllllllll}10 & 11 & 12 & 13 & 14 & 15 & 16 & 17 & 18 & 19 & 20\end{array}$

## Running R

- Can run in a terminal window: command recall and editing is possible
- Best environment is XEmacs and ESS
- On Windows WinEdt plays very nicely with $\mathbf{R}$
- Run commands from a file with source
> source("commands.R")
- Put output to a file with sink
> sink("commands.out")
- Return to console output with $\operatorname{sink}()$
- See objects in current workspace with objects() or ls()
- Remove objects with rm
> rm(x, n, mydata, temp)


## XEmacs and ESS

- To start R from within XEmacs use $\mathrm{M}-\mathrm{x} \mathrm{R}$
- Most important is to evaluate a region C-c C-r
- This leaves you in the commands file
- C-c M-r evaluates the region but leaves you in $\mathbf{R}$
- Evaluate a line with C-c C-j
- To ensure XEmacs uses ESS, put the line (require 'ess-site) in the file init.el
- Note that init.el is accessible in XEmacs from the Options menu: select "Edit Init File"


## Workspace, History, Batch Mode

- All objects can be saved at the end of a session
- Saved in .RData in the current directory
- Objects will be reloaded if a later session is started in this directory
- To avoid confusion of objects, use different directories for different projects
- To run in batch mode, on the Unix command line:

R CMD BATCH filename.R

- Output will be in filename.Rout
- Can be done in the background or with nice or nohup
- See ?ватсн
- There are other commands like this, e.g. R CMD InSTALL


## Data Structures

## Data Structures

- Vectors: can be numeric, character, or logical
- Matrices: just vectors with dimensions added and possibly row and column names-elements are all of the same type
- Factors : for categorical data
- Lists: like a general form of vector
- elements can be of different types
- elements can be vectors or lists
- used for returning results from functions
- Data frames: like matrices, rectangular
- columns can be of different types
- common input to modeling functions
- Functions


## Objects

- R operates on objects
- Vectors are atomic-all of one type or mode
- Lists are recursive structures
- Functions and expressions are also recursive structures
- Mode and length are intrinsic attributes of objects
- Can change mode-coerce objects
- Once an object exists its length can be changed
- Change attributes with attributes
- Finding out about objects: str, attributes, head, tail, and for functions args


## Objects

- Objects may have a class-used for object-oriented programming
- Determines the behaviour of plot, summary, and printing
- These are generic functions
- If no class, default is used, e.g. plot. default is used if you try and plot the object
- Remove the class using unclass
- See the available methods with methods
- See function code for non-visible functions by using getS3method("genericname", "classname") or getAnywhere(functionname)
- Alternatively if the namespace is known, use namespace : : : functionname


## Factors

- Specifies a grouping
- Can be ordered or unordered
- Used in modeling to do traditional analysis of variance
- Use factor or ordered to create factors
- See examples from ?factor
- table allows construction of tables using factors


## Lists

- An ordered collection of components
- To create:

Lst <- list(name="Fred", wife="Mary", no.children=3, child.ages=c $(4,7,9)$ )

- Refer to components using number in double brackets:

Lst [[3]] by name using the separator $\$$ :
Lst\$name
or by name using the quoted name in double brackets:
Lst[["name"]]

- Lst[[1]] is different from Lst[1]
- Lists are constructed using list


## Data Frames

- A list of class data.frame
- Components are vectors, factors, numeric matrices, lists, or other data frames
- Matrices, lists, and data frames provide as many variables to the new data frame as they have columns, elements, or variables, respectively
- Numeric vectors, logicals and factors are included as is
- Character vectors are coerced to factors
- Vector structures in the data frame must all have the same length
- Matrix structures must have the same row size


## Data Frames

- Create with data.frame

$$
\begin{gathered}
\text { accountants <- data.frame(home=statef, loot=incomes, } \\
\text { shot=incomef) }
\end{gathered}
$$

- Coerce for example matrices using as.data.frame
- Instead of using \$ notation, such as accountants\$statef use attach() and detach()
> table(home)
Error in table(home) : Object "home" not found
$>$ attach (accountants)
$>$ table (home)
home

```
act nsw nt qld cre sa tas vic wa
> detach(accountants)
```


## Vectors

## Vectors

- S works naturally with vectors of values
- The simple way to combine scalar values into a vector is using the $c()$ function
> $x<-c(1,2,4,3,1)$
> $x$
[1] 12431
- Vectors can be manipulated just like scalar values
> 2 * $x$
[1] 24862
> $\mathrm{x} / 4$
[1] $0.250 .501 .00 \quad 0.75 \quad 0.25$


## Properties of Vectors

- The functions length and mode return information about the values stored in vectors
> $x<-c(1,2,4,3,1)$
> length( x )
[1] 5
> mode(x)
[1] "numeric"


## Simple Subsetting

- Individual vector elements can be accessed with a subsetting mechanism
$>x<-c(1,2,4,3,1)$
$>x[5]$
[1] 1
> $x[3]$
[1] 4


## Vector Subsets

- Extracting vector subsets:
$>x<-c(1,2,4,3,1)$
$>x[c(1,2,3)]$
[1] 124
> $x[-5]$
[1] 1243
- When subscripts are all negative, all elements except those are extracted


## Logical Subsetting

- Values can be extracted using logical conditions
- For example, the command $\mathrm{x}[\mathrm{x}>2$ ] extracts all elements from x which are greater than 2
> $x$ <- c(1, 2, 4, 3, 1)
$>x[x>2]$
[1] 43
- Logical subsetting can be very expressive.
$>$ mean(income[gender == "male"])


## Modifying Subsets

- It is possible to change the values in a subset of a vector by using subsetting in conjunction with assignment
- For example, the expression
> $x[1: 2]$ <- 10
will change the first two elements of the vector x to 10 .


## Patterned Sequences

- S has a number of ways of generating vectors containing special sequences of values
- The one that is most commonly used is the sequence operator ":"
- The expression $n_{1}: n_{2}$ returns the sequence of integer values from $n_{1}$ to $n_{2}$.
> 1:10
[1] $\begin{array}{lllllllllll}1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 10\end{array}$
$>10: 1$
[1] $\begin{array}{lllllllllll}10 & 9 & 8 & 7 & 6 & 5 & 4 & 3 & 2 & 1\end{array}$


## Patterned Sequences Using :

- The vectors created with : can be quite large, and when printed they may span several lines.

```
> 1:50
```

| [1] | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| $[13]$ | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 |
| $[25]$ | 25 | 26 | 27 | 28 | 29 | 30 | 31 | 32 | 33 | 34 | 35 | 36 |
| $[37]$ | 37 | 38 | 39 | 40 | 41 | 42 | 43 | 44 | 45 | 46 | 47 | 48 |
| $[49]$ | 49 | 50 |  |  |  |  |  |  |  |  |  |  |

- The value in brackets at the start of each line gives the index of the first value on the line
- This can make it easier to locate particular values


## Patterned Sequences Using seq

- More general sequences can be created by using the "seq" function
- The expression $\operatorname{seq}(0,5, b y=0.2)$ generates the sequence of values from 0 to 5 in steps of 0.2
$>\operatorname{seq}(0,5$, by $=0.2)$

| [1] | 0.0 | 0.2 | 0.4 | 0.6 | 0.8 | 1.0 | 1.2 | 1.4 | 1.6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| [10] | 1.8 | 2.0 | 2.2 | 2.4 | 2.6 | 2.8 | 3.0 | 3.2 | 3.4 |
| [19] | 3.6 | 3.8 | 4.0 | 4.2 | 4.4 | 4.6 | 4.8 | 5.0 |  |

- It is also possible to create sequences of a specified length
> seq(0, 4, length = 9)
[1] 0.00 .51 .01 .52 .02 .53 .03 .54 .0


## Patterned Sequences Using rep

- Another function which is useful for creating patterned sequences is the function "rep", which repeats its first argument according to the value of its second
- The second argument can either be a single count, giving the number of times to repeat the first
> rep $(1: 3,5)$

```
[1] 123123123123123
```

- Or it can be a vector of counts, indicating how many times to repeat each element of the first argument
> rep(1:3, c(3, 4, 3))
[1] 1112222333


## Arithmetic on Vectors

- S has very general capabilities for vector arithmetic
- Arithmetic operations are carried out on vectors according to an element recycling rule
- Under this rule, when vectors of different lengths are combined in an arithmetic operation, the shorter vector is first enlarged to match the length of the longer vector by recycling its elements
- Then the vectors are combined element by element


## Recycling Rule Example

Consider adding the vectors 1:3 and 1:6

$$
\left[\begin{array}{l}
1 \\
2 \\
3
\end{array}\right]+\left[\begin{array}{l}
1 \\
2 \\
3 \\
4 \\
5 \\
6
\end{array}\right] \xrightarrow[\longrightarrow]{\text { recycle }}\left[\begin{array}{l}
1 \\
2 \\
3 \\
1 \\
2 \\
3
\end{array}\right]+\left[\begin{array}{l}
1 \\
2 \\
3 \\
4 \\
5 \\
6
\end{array}\right] \xrightarrow{\text { add }}\left[\begin{array}{l}
2 \\
4 \\
6 \\
5 \\
7 \\
9
\end{array}\right]
$$

This is how the result appears when computed with S
> 1:3 + 1:6
[1] 246579

## Summary Operations on Vectors

- The following functions return single-value numerical summaries for the values in a vector or collection of vectors
$\operatorname{sum}(x)$ the sum of the elements of $x$
$\operatorname{prod}(x)$ the product of the elements of $x$
$\min (x) \quad$ the minimum of the elements of $x$
$\max (\mathrm{x})$ the maximum of the elements of x
- The range function computes a two value summary.
> range (1:10)
[1] 110


## Examples

- The prod function can be used to compute factorials
- For example 10 !
> prod(1:10)
[1] 3628800
- Beware that very large factorials can't be represented with finite precision arithmetic ( 200 ! is too large)
$>\operatorname{prod}(1: 200)$
[1] Inf
- The following computation shows how to compute binomial coefficients.
> prod(1:10)/prod(1:3, 1:7)
[1] 120


## Cumulative Summaries

- There are also cumulative versions called cumsum, cumprod, cummax, and cummin
- These produce a vector which consists of the summary computed for; the first element, first two elements, the first three elements and so on
> cumsum(1:10)



## Statistical Summaries

- There are a number of summaries which compute quantities of statistical interest
- The most important of these are:
mean ( x ) the mean of the elements of x , median( $x$ ) the median of the elements of $x$, $\operatorname{var}(\mathrm{x}) \quad$ the variance of the elements of x .
- In addition to these, $\mathbf{R}$ also has $\operatorname{sd}(x) \quad$ the $s . d$. of the elements of $x$.


## Sample Quantiles

- The quantile function computes summaries based on the percentiles of the values in its argument
- The simplest use of quantile computes the median, upper and lower quartiles, and extremes
> quantile(1:10)

| $0 \%$ | $25 \%$ | $50 \%$ | $75 \%$ | $100 \%$ |
| ---: | ---: | ---: | ---: | ---: |
| 1.00 | 3.25 | 5.50 | 7.75 | 10.00 |

- An optional second argument to quantile can be used to specify a different set of quantiles
> quantile(1:10, 0:10/10)

| $0 \%$ | $10 \%$ | $20 \%$ | $30 \%$ | $40 \%$ | $50 \%$ | $60 \%$ | $70 \%$ |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 1.0 | 1.9 | 2.8 | 3.7 | 4.6 | 5.5 | 6.4 | 7.3 |
| $80 \%$ | $90 \%$ | $100 \%$ |  |  |  |  |  |
| 8.2 | 9.1 | 10.0 |  |  |  |  |  |

## Character Strings

- Any value in quotes is regarded by $\mathbf{R}$ as being a character string.
> greeting <- "hello, world"
> greeting
[1] "hello, world"
- This is true, even when the value appears to be numeric
> number <- "21"
> number
[1] "21"
- Character strings can be combined to form vectors
> c(greeting, number)
[1] "hello, world" "21"


## Type Coercion

- It is possible to combine numbers and character strings into a single vector using "c"
- In this case, the numbers are first converted to strings.
> c (greeting, 100)
[1] "hello, world" "100"
- This an example of automatic type coercion
- Arithmetic on a mixture of strings and numbers does not work, however
> " 100 " + 10
Error in "100" + 10 : non-numeric argument to binary operator


## Naming Vector Elements

- Individual elements of a vector can be given names

```
\(>x<-1: 5\)
\(>x\)
    [1] 122345
    > 1 <- c("a", "b", "c", "d", "e")
    > 1
    [1] "a" "b" "c" "d" "e"
    > names \((x)<-1\)
    \(>x\)
    a b c d e
    12345
```

- Element names are printed above the elements, indexing information at the start of a line is dropped


## Names and Subsetting

- Names are preserved during subsetting
> x[4:5]
d e
45
- It is also possible to extract subsets by using the names as subscripts
> x[c("a", "d")]
a d
14


## Matrices

## Matrices

- In addition to vectors, $\mathbf{S}$ has a wide range of data structures.
$>A<-\operatorname{matrix}(1: 6$, nrow $=3$, ncol = 2)
creates a $3 \times 2$ matrix
- The value can be viewed as follows:
> A

|  | $[, 1]$ | $[, 2]$ |
| :--- | ---: | ---: |
| $[1]$, | 1 | 4 |
| $[2]$, | 2 | 5 |
| $[3]$, | 3 | 6 |

- Notice that the elements are inserted into the matrix in column major order


## Row-Major Order

- By default, values are inserted into matrices in column major order
- It is also possible to specify that the matrix be filled in row major order

```
> B <- matrix(1:6, nrow = 3, ncol = 2,
+ byrow = TRUE)
> B
```

|  | $[, 1]$ | $[, 2]$ |
| :--- | ---: | ---: |
| $[1]$, | 1 | 2 |
| $[2]$, | 3 | 4 |
| $[3]$, | 5 | 6 |

## Dimensioning Information

- Matrix dimensions can be obtained in a number of ways
$>A<-\operatorname{matrix}(1: 6$, nrow $=3$, ncol = 2)
$>\operatorname{nrow}(A)$
[1] 3
$>\operatorname{ncol}(A)$
[1] 2
$>\operatorname{dim}(A)$
[1] 32


## Diagonal Matrices

- The function diag can be used to create diagonal matrices and to extract the diagonals from matrices
> A <- diag(1:3)
$>A$

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 0 | 0 |
| $[2]$, | 0 | 2 | 0 |
| $[3]$, | 0 | 0 | 3 |

$>\operatorname{diag}(A)$
[1] 123

## Special Matrix Forms

- There is a special form of call to diag which can be used to create identity matrices
> diag(3)

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 0 | 0 |
| $[2]$, | 0 | 1 | 0 |
| $[3]$, | 0 | 0 | 1 |

- It is also easy to construct a block matrix of ones
> matrix (1, nrow = 3, ncol = 3)

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 1 | 1 |
| $[2]$, | 1 | 1 | 1 |
| $[3]$, | 1 | 1 | 1 |

## Matrix Arithmetic

- The standard arithmetic operations are all defined for matrices, and take place elementwise

```
> A <- matrix(1:6, nrow = 3, ncol = 2)
> B <- matrix(1:6, nrow = 3, ncol = 2,
+ byrow = TRUE)
> A + B
```

|  | $[, 1]$ | $[, 2]$ |
| :--- | ---: | ---: |
| $[1]$, | 2 | 6 |
| $[2]$, | 5 | 9 |
| $[3]$, | 8 | 12 |

- Note that $\mathrm{A} * \mathrm{~B}$ is the elementwise product of A and B , not the matrix product


## Other Matrix Operations

- The function $t$ computes the transpose of its argument
> $t(A)$

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 2 | 3 |
| $[2]$, | 4 | 5 | 6 |

- Matrix multiplication can be performed with the $\% * \%$ binary operator

$$
\begin{array}{lrr}
>t(A) & \% * \% & B \\
{[, 1]} & {[, 2]} \\
{[1,]} & 22 & 28 \\
{[2,]} & 49 & 64
\end{array}
$$

## Solving Linear Equations

- The solve function an be used to solve systems of linear equations
- For example the linear system

$$
\left(\begin{array}{ll}
1 & 2 \\
3 & 4
\end{array}\right)\binom{x_{1}}{x_{2}}=\binom{1}{1},
$$

can be solved as follows
> A <- matrix (c(1, 3, 2, 4), ncol = 2)
$>b<-c(1,1)$
> Solve(A, b)
[1] $-1 \quad 1$

## Matrix Inversion

- Called with a single argument, solve computes the matrix inverse
> solve(A)

$$
\begin{array}{rr} 
& {[, 1]} \\
{[1,2]} \\
{[2,2.0} & 1.0 \\
{[2,]} & 1.5 \\
\hline
\end{array}
$$

- But computers only work to a finite precision-all computations are subject to roundoff error
> A \%*\% solve(A)
$\begin{array}{lrr} & {[, 1]} & {[, 2]} \\ {[1,]} & 1 & 1.110223 \mathrm{e}-16 \\ {[2,]} & 0 & 1.000000 \mathrm{e}+00\end{array}$


## Regression

- The general linear model can be written in matrix form as

$$
\mathrm{y}=\mathbf{X} \boldsymbol{\beta}+\varepsilon .
$$

- The least-squares estimates of the parameters are given by

$$
\hat{\boldsymbol{\beta}}=\left(\mathbf{X}^{\prime} \mathbf{X}\right)^{-1} \mathbf{X}^{\prime} \mathbf{y}
$$

and the residuals by

$$
\hat{\varepsilon}=\mathbf{y}-\mathbf{X} \hat{\boldsymbol{\beta}} .
$$

- The estimated dispersion matrix of $\hat{\beta}$ is

$$
\mathcal{D}[\hat{\boldsymbol{\beta}}]=\frac{\hat{\boldsymbol{\varepsilon}}^{\prime} \hat{\boldsymbol{\varepsilon}}}{n-p}\left(\mathbf{X}^{\prime} \mathbf{X}\right)^{-1} .
$$

## Regression in S

- The equations for regression analysis can be translated directly into S statements
$>n<-\operatorname{nrow}(x)$
$>p<-n c o l(x)$
> betahat <- solve(t(x) \%*\% x, $t(x) \% * \%$
$+\quad y)$
> epsilonhat <- y - x \% *\% betahat
> sigmahat2 <- sum(epsilonhat^2)/(n -
$+\quad p$ )
> D <- sigmahat2 * solve(t(x) \%*\%
$+\quad \mathrm{x})$
- Warning: This is not the best way of computing the results


## Matrix Decompositions

- There are many S functions which support computations on matrices
- The most useful are:
eigen eigenvalues and eigenvectors
svd singular-value decomposition
qr QR decomposition


## Subsetting

- It is possible to extract submatrices from matrices
$>A<-\operatorname{matrix}(1: 6$, ncol = 3)
$>A$

$$
\begin{aligned}
& \text { [,1] [,2] [,3] } \\
& \begin{array}{llll}
{[1,]} & 1 & 3 & 5 \\
{[2,]} & 2 & 4 & 6
\end{array} \\
& \text { > } A[1,2] \\
& \text { [1] } 3 \\
& \text { > } A[1: 2,1: 2] \\
& \begin{array}{lrr} 
& {[, 1]} & {[, 2]} \\
{[1,]} & 1 & 3 \\
{[2,]} & 2 & 4
\end{array}
\end{aligned}
$$

## Subsetting Shorthands

- An empty subscript field is equivalent to the full range of possible subscripts
- For example:
> $A[, 2: 3]$

$$
\begin{array}{lrr} 
& {[, 1]} & {[, 2]} \\
{[1,]} & 3 & 5 \\
{[2,]} & 4 & 6 \\
>A[2,] & \\
{[1] 24} & \\
\hline
\end{array}
$$

- Subscripting matrices by using logical indices and row or column labels is also possible, but tends to be far less common


## Row and Column Indices

- The two functions row and column return matrices containing the index for each row an column
> $A<-\operatorname{matrix}(1: 6$, ncol = 3)
$>$ row $(A)$

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 1 | 1 |
| $[2]$, | 2 | 2 | 2 |
| $>\operatorname{col}(A)$ |  |  |  |


|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 2 | 3 |
| $[2]$, | 1 | 2 | 3 |

## Example: Zeroing A Lower Triangle

- row and col can be used together with logical subscripting to operate on upper and lower triangles of matrices
$>A<-\operatorname{matrix}(1: 9$, ncol = 3)
$>A[\operatorname{row}(A)>\operatorname{col}(A)]<-0$
$>A$

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 4 | 7 |
| $[2]$, | 0 | 5 | 8 |
| $[3]$, | 0 | 0 | 9 |

## Row and Column Labeling

- Matrices can be made rather more useful by using row and column labels

```
> A <- matrix(1:6, nrow = 3)
> dimnames(A) <- list(c("sex", "drugs",
+ "rock&roll"), c("this", "that"))
```

- The primary benefit of labeling can be seen when the matrix is printed
> A

|  | this | that |
| :--- | ---: | ---: |
| sex | 1 | 4 |
| drugs | 2 | 5 |
| rock\&roll | 3 | 6 |

## Labeling The Labels

- In R, but not S, it is possible to "label the labels."

```
\(>A<-\operatorname{matrix}(1: 6\), nrow \(=3\) )
> dimnames(A) <- list(what = c("sex",
+ "drugs", "rock\&roll"), which = c("this",
+ "that"))
> A
```

|  | which |  |
| :--- | ---: | ---: |
| what | this | that |
| sex | 1 | 4 |
| drugs | 2 | 5 |
| rock\&roll | 3 | 6 |

## Multiway Arrays

- Multiway arrays generalise the notion of matrices.
- Arrays are created with the array function and their subsetting and labeling methods parallel those of matrices.
- The only major difference is that the notion of transpose must be generalized.
- The function aperm provides such a generalized transpose operation.


## Multiway Arrays

> (A <- $\operatorname{array}(1: 5, c(2,3,1)))$
, , 1

|  | $[, 1]$ | $[, 2]$ | $[, 3]$ |
| :--- | ---: | ---: | ---: |
| $[1]$, | 1 | 3 | 5 |
| $[2]$, | 2 | 4 | 1 |

> aperm(A)
, , 1
$\begin{array}{lrrr} & {[, 1]} & {[, 2]} & {[, 3]} \\ {[1,]} & 1 & 3 & 5\end{array}$
, , 2
$\begin{array}{lrrr} & {[, 1]} & {[, 2]} & {[, 3]} \\ {[1,]} & 2 & 4 & 1\end{array}$

## Multiway Arrays

> aperm(A,c(2,1,3))
, , 1

|  | $[, 1]$ | $[, 2]$ |
| :--- | ---: | ---: |
| $[1]$, | 1 | 2 |
| $[2]$, | 3 | 4 |
| $[3]$, | 5 | 1 |

## Text Handling in R

## Printing

- Complete $\mathbf{S}$ objects can be displayed by using the print function
> print("A Title")
[1] "A Title"
> print (matrix(1:4, nc = 2))

|  | $[, 1]$ | $[, 2]$ |
| :--- | ---: | ---: |
| $[1]$, | 1 | 3 |
| $[2]$, | 2 | 4 |

- Only very basic control of formatting is possible when the print function is used
- Other functions can be used when finer control is necessary


## Control Of Printing

- Print formating can be controlled by a number of optional arguments
digits $=$ controls the number of digits printed to the right of the decimal point. The default is the value of the system option digits.
quote $=\quad$ controls whether strings are printed with or without quotes. The default value is TRUE.
na.print= the character string used to indicate NA values. This is printed without quotes.


## Examples Using print

> print(c("Hello", "there"), quote = FALSE)
[1] Hello there
> print(1/1:5, digits = 2)
[1] $1.00 \quad 0.500 .330 .25 \quad 0.20$
> print(c(1, NA, Inf), na.print = ".")
[1] 1 . Inf

## The cat function

- cat is a function which can be used to concatenate and then print character strings passed to it as arguments
- Objects other than character strings are automatically converted to character strings by cat
- By default, the strings being concatenated are separated by a space character. Can be overridden with the sep= argument.
- Certain sequences of characters have a special interpretation (shared with C, C++, Java and other languages)
- \n represents a newline character, \t represents a tab character, and <br>\a backslash character


## Examples Using cat

> R 2 <- 0.7863
> cat("aaa", "bbb", "\n")
aaa bbb
> cat("aaa", "bbb", "\n", sep = "")
aaabbb
> cat("a", "b", "c", "d", "\n", sep = " - ")
a - b - c - d -
> cat("R-squared =", R2, "\n")
R-squared = 0.7863

## Vector Arguments to cat

- When the arguments to cat are vectors, their elements are treated as though they were separate arguments.
> letters
[1] "a" "b" "c" "d" "e" "f" "g" "h" "i"
[10] "j" "k" "1" "m" "n" "o" "p" "q" "r"
[19] "s" "t" "u" "v" "w" "x" "y" "z"
> cat("The alphabet: ", letters,
$+\quad$ "\n", sep = "")

The alphabet: abcdefghijklmnopqrstuvwxyz

## Rounding

- There are a variety of $\mathbf{S}$ functions which help to format numbers for use with cat
- The function round rounds its argument to a specified number of decimal digits
> round(runif(5), 2)
[1] $0.810 .26 \quad 0.36 \quad 0.25 \quad 0.53$
- The function signif rounds its argument to a specified number of significant digits
> signif(runif(5), 2)
[1] $0.10 \quad 0.11 \quad 0.93 \quad 0.95 \quad 0.28$


## Formatting

- The R function formatC provides general formatting of numeric values as strings
- The function is very flexible and provides better control than format
- formatC has arguments which control whether scientific or standard formatting is used
- It also has control for the number of digits appearing in results
> formatC(1/3, format $=$ " $f$ ", digits = 4)
[1] "0.3333"
> formatC(1/3, format = "e", digits = 4)
[1] "3.3333e-01"
- It provides facilities for printing numbers in European formats or for printing dollar amounts


## The paste Function

- paste provides a very flexible way of pasting strings together
- Useful in conjunction with cat
- paste obeys the vector recycling rule-useful for tasks like creating labels
> paste("Var", 1:4)
[1] "Var 1" "Var 2" "Var 3" "Var 4"
- sep= and collapse= arguments control how strings are glued together
- They make it possible to glue all the results into a single string
> paste("Var", 1:4, sep = "-", collapse = ":")
[1] "Var-1:Var-2:Var-3:Var-4"


## ${ }^{\mu} \mathbf{T}_{E} X$ Tables

- The next slide shows a very simple S function which can be used to print tables suitable as input for ${ }^{4} T_{E} X$
- This is just a sketch of how a real latex.table function could be written
$>X$

```
    C d
    a 1 3
    b 2 4
    > latex.table(x)
    \begin{tabular}[lrr]
        & c & d \\
    a & 1 & 3 \\
    b & 2 & 4 \\
    \end{tabular}
```


## Source Code

```
> latex.table <- function(x) {
+ rlabs <- dimnames(x)[[1]]
+ clabs <- dimnames(x)[[2]]
+ fmt <- c("l", rep("r", length(clabs)))
+ cat("\\begin{tabular}[", fmt,
+ "]\n", sep = "")
+ cat(" ", clabs, sep = " & ")
+ cat(" \\\\\n")
+ for (i in 1:nrow(x)) {
+
+
+ }
+ cat("\\end{tabular}\n")
+ }
```


## Generalisations

- The latex.table function is very basic and can be enhanced in a number of ways
- The function fails if its argument does not have row and column labels
- The function should be changed so that the labels are optional, or could be specified on the command line
- It might be useful to be able to be able to centre or left justify some columns
- It might be useful to round or format columns differently
- Packages are available for converting R output into a form where it may be directly incorporated into a ${ }^{\Delta} T_{E} X$ file
- xtable will format tables
- latex from the package Hmisc will format output from some $\mathbf{R}$ modeling functions


## Text Processing

- There are a number of functions which allow manipulation of character strings in $\mathbf{R}$

| nchar | computes string lengths |
| :--- | :--- |
| substr | extracts substrings |
| substring | extracts substrings |
| strsplit | splits strings |
| tolower | converts to lower case |
| toupper | converts to upper case |
| casefold | character case conversion |
| chartr | carries out character conversions |

## Substring Examples

> substr("abcdef", 2, 4)
[1] "bcd"
> substring("abcdef", 1:6, 1:6)
[1] "a" "b" "c" "d" "e" "f"
> substr(rep("abcdef", 4), 1:4, 4:5)
[1] "abcd" "bcde" "cd" "de"
> substr("abcdef", 1:4, 4:5)
[1] "abcd"
> substring("abcdef", 1:4, 4:5)
[1] "abcd" "bcde" "cd" "de"

## Substring Replacement

> x <- "123456789"
> substring(x, 2) <- "aaa"
$>x$
[1] "1aaa56789"
> $x$ <- "123456789"
> substring(x, 2, 3) <- "aaa"
$>x$
[1] "1aa456789"

## Splitting Strings

> strsplit("hello there world", " ")
[[1]]
[1] "hello" "there" "world"
> strsplit("hello there\tworld",

+ " ")
[ [1] ]
[1] "hello" ""
[3] "there\tworld"
> strsplit("hello there\tworld",
+ "[[:space:]]+")
[[1]]
[1] "hello" "there" "world"


## Pattern Matching

- The grep function can be used to carry out pattern matching
> $x$ <- "all the king's men"
> $\mathrm{x}<-\mathrm{unlist}($ strsplit( $\mathrm{x}, \mathrm{"} \mathrm{"))}$
> $x$
[1] "all" "the" "king's" "men"
> grep("e", x)
[1] 24
> x[grep("e", x)]
[1] "the" "men"


## Pattern Substitution

> x <- "The color of money colors my decision"
> sub("color", "colour", x)
[1] "The colour of money colors my decision"
> gsub("color", "colour", x)
[1] "The colour of money colours my decision"
> x <- "all the king's men"
> x <- unlist(strsplit(x, " "))
> gsub("(.*)", "<br>1=<br>1", x)
[1] "all=all" "the=the"
[3] "king's=king's" "men=men"

## Importing and Exporting Data

## Exporting Data to Text Files

- Use write.table

```
> args(write.table)
function (x, file = "", append = FALSE, quote = TRUE,
    sep = " ", eol = "\n", na = "NA", dec = ".",
    row.names = TRUE, col.names = TRUE,
    qmethod = c("escape", "double"))
```

- R prefers the header line to have no entry for the row names

|  | dist | climb | time |
| :--- | ---: | ---: | ---: |
| Greenmantle | 2.5 | 650 | 16.083 |
| Carnethy | 6.0 | 2500 | 48.350 |

- col.names=NA puts an empty entry in the space for the row names
- To transfer to Excel, the usual method is to write a comma-separated file: write.csv is a wrapper which selects the appropriate options


## Reading Data from Text Files

- Use read.table

```
> args(read.table)
```

function (file, header = FALSE, sep $=$ "", quote = "." ", dec = ".",
row.names, col.names, as.is = !stringsAsFac-
tors, na.strings = "NA",
colClasses $=$ NA, nrows $=-1$, skip $=0$, check.names = TRUE,
fill = !blank.lines.skip, strip.white = FALSE, blank.lines.skip = TRUE
comment.char = "\#", allowEscapes = FALSE, flush = FALSE,
stringsAsFactors = default.stringsAsFactors())

- The header commonly has entries for the columns only, not for the row labels, so one field is shorter than the remaining lines
- If the file has (possibly empty) header field for the row labels, use
read.table("file.dat", header = TRUE, row.names = 1)
- Column names (which override the header line) can be given with col.names


## Reading Data from Text Files

- Files exported from a spreadsheet can have trailing empty fields and their separators omitted. Use fill=TRUE
- read.table tries to select a suitable class for each variable in the data frame working through logical, integer, numeric and complex
- The final choice is factor
- colClasses and as.is provide greater control
- as.is suppresses conversion of character vectors to factors
- There are special functions for comma-separated files (read.csv) and fixed width format files (read.fwf)
- Reading files uses scan which reads a character at a time, and can be used directly
- See also readLines to read whole lines


## Importing Data

- The package foreign allows import of data written in other formats
- Functions include read.epiinfo, read.mtp, read.xport, read.S, read.spss and read.systat for Epilnfo, Minitab portable, SAS Transport, S-PLUS, SPSS, Stata and Systat files
- A very useful option is to read data from a relational database
- Several packages support database access such as RMySQL, ROracle, and RODBC which is quite generic
- A later section of the course introduces the database mySQL and shows how to use it in conjunction with $\mathbf{R}$


## Connections

- Connections replace use of filenames with a flexible interface to file-like objects
- For example gzfile will read and write from gzip files
- url will read from URLs of types http://, ftp://, and file://


## Excel Spreadsheets

- Best approach is to export the data in tab-delimited or comma-separated form
- You can cut and paste from the display of a spreadsheet with read.table(file("clipboard"), header = TRUE, sep = "\t", dec = ".")
- You can also read the clipboard with readClipboard
- On Windows the function odbcConnectExcel in the package RODBC can select rows and columns from sheets in an Excel spreadsheet file


## Data

- There are data sets with $\mathbf{R}$ in the package datasets
- See a list with data()
- Load a data set with data(infert)
- Find data or load data from other packages
data(package="HyperbolicDist")
data(resistors,package="HyperbolicDist")
- Edit data or create a data frame in a spreadsheet format with edit
data(mamquam, package="HyperbolicDist")
mamquamNew <- edit(mamquam)
new.df <- edit(data.frame())
- Some statisticians advise against this usage since an ad hoc change to the data like this is not able to be done using batch processing and is thus not reproducible


## Programming in S

## Programming Concepts

- We write programs to solve problems, e.g. to simulate a queue
- A program is an organized list of instructions that, when executed, causes the computer to behave in a predetermined manner
- A program is like a recipe. It contains
- a list of ingredients-called variables; and
- a list of directions called statements or commands
- Directions tell the computer what to do with the variables
- Variables can represent numeric data, text, or graphical images


## Programming Concepts

- A programming language is a vocabulary and a set of grammatical rules for instructing a computer to perform specific tasks. Examples are Matlab, R or C
- A procedure is a section of a program that performs a specific task, or a sequence of instructions for performing some action
- A procedure is called an algorithm if it is finite, definite, and effective, with some output
- Computer programs should be algorithms, but there are many procedures not related to computers-knitting patterns, recipes, choreography


## Algorithms

- An algorithm if it is finite, definite, and effective, with some output
- finite means it ends after a finite number of steps
- definite means each step is clearly defined-"beat until fluffy" in a recipe doesn't satisfy this criterion
- effective means able to be carried out
- output is required otherwise the result of implementing the algorithm will remain unknown.
- To solve a problem, the clearest, most reliable way is to first develop a suitable algorithm, then to program or code the algorithm in a suitable programming language.


## Representing Algorithms

- How is the algorithm to be specified, if not in a programming language?
- in natural language-English
- by using a flowchart—using diagrams is often helpful
- by writing pseudocode—this is recommended by computer scientists and software developers


## Pseudocode

- Pseudocode is an outline of a program, written in a form that can easily be converted into real programming statements
- Enables the programmer to concentrate on the algorithms without worrying about the syntactical details of the programming language
- Can be made progressively more detailed as the algorithm is developed
- Can be used as comments for the final program


## Flow of Control

- To be useful, a programming language needs to have a sufficiently rich collection of control structures
- Control structures determine the order in which programming instructions are executed, called flow of control
- Programming languages typically allow for
- sequence
- alternation or selection
- iteration, repetition or looping
- jumping
- interrupting


## Flow of Control

- sequence-this is the default order, instructions being executed in the order in the order in which they appear
- alternation or selection-implemented as if ...then ...else ... or case or switch
- iteration, repetition or looping-implemented as while or for or repeat
- jumping-implemented as goto or break or stop
- interrupting-used for mouse operations for example


## Flow of Control

- Important R commands, or control structures which affect the flow of control are:
- if together with else executes one group of R commands if some logical expression is true, and another set if it is not true
- for executes a group of R commands for a particular set of values of some index
- while executes a group of $\mathbf{R}$ commands an indefinite number of times while some expression is true.
- switch is used to choose which of a number of different groups of code will be executed.


## Compound Expressions

- Compound expressions give a way of treating a sequence of expressions as a single expression
- The general form of a compound expression is:
\{ expression ${ }_{1}$; ... ; expression $\left.{ }_{n}\right\}$
- A compound expression is evaluated by evaluating each of its component expressions in turn and taking the value of the last one as the value of the compound
- Note that the statements here are separated by semi-colons, but newlines will also serve as separators


## if, else

- The syntax is

$$
\begin{aligned}
& \text { if }(\text { expr_1) } \\
& \text { expr_2 } \\
& \text { else } \\
& \quad \text { expr_3 }
\end{aligned}
$$

- Here expr_1 must evaluate to a logical value
- The other expressions may be a collection of $\mathbf{R}$ statements enclosed in curly brackets $\{$,
- Indentation is used to highlight flow of control


## Example of if, else

\# Solving a quadratic equation
\# Specify coefficients a, b, c = const
Delta <- b^2 - 4*a*const \# the discriminant if ( Delta < 0)\{
soln <- c(NA,NA)
cat("No real solutions to this quadratic equation\n")
\}else\{
soln <- c(-b + sqrt(Delta), -b - sqrt(Delta))/(2*a)
\}
soln

- Informative names should be used
- Some functions have one-letter names: c, t, q
- $\mathrm{x}, \mathrm{y}, \mathrm{z}$ often used for data, i, j, k for counters


## Example of if, else

For $a=1, \quad b=2, \quad c=1$
> $\mathrm{a}<-1$; b <- 2; const <- 1
> Delta <- b^2 - 4*a*const \# the discriminant
$>$ if ( Delta < 0) \{
$+\quad$ soln <- c(NA,NA)

+ cat("No real solutions to this quadratic equation\n")
+ \}else\{
+ soln <- c(-b + sqrt(Delta), -b - sqrt(Delta))/(2*a)
+ \}
> soln
[1] -1 -1


## Example of if, else

For $a=1, \quad b=2, \quad c=4$
> $\mathrm{a}<-1$; b <- 2; const <- 4
> Delta <- $\mathrm{b}^{\wedge} 2-4 * \mathrm{a}$ const \# the discriminant
> if ( Delta < 0) \{
$+\quad$ soln <- c(NA,NA)

+ cat("No real solutions to this quadratic equation\n")
+ \}else\{
+ soln <- c(-b + sqrt(Delta), -b - sqrt(Delta))/(2*a)
+ \}
No real solutions to this quadratic equation > soln
[1] NA NA


## Example of if, else

For $a=1, \quad b=2, \quad c=-4$
> a <- 1; b <- 2; const <- -4
> Delta <- b^2 - 4*a*const \# the discriminant
$>$ if ( Delta < 0)\{
$+\quad$ soln <- c(NA,NA)

+ cat("No real solutions to this quadratic equation\n")
+ \}else\{
+ soln <- c(-b + sqrt(Delta), -b - sqrt(Delta))/(2*a)
+ \}
> soln
[1] 1.236068-3.236068


## ifelse

- Used for elementwise change to a vector
- The syntax is

```
ifelse (test, yes, no)
```

- Here test is a logical vector
- yes gives the value to be returned if the test value is true
- no gives the value to be returned if the test value is false
> $x$ <- c(3:-3)
> sqrt(x) \# gives warning
[1] 1.732051 1.414214 1.000000 0.000000 NaN NaN NaN
Warning message:
NaNs produced in: sqrt(x)
> sqrt(ifelse(x >= 0, x, NA)) \# no warning
[1] $1.7320511 .4142141 .000000 \quad 0.000000 \mathrm{NA} \mathrm{NA}$


## Relations and Operators

- Relations are tests, or comparisons, which are either 'TRUE' ( = 1), or 'FALSE' ( = 0)

| Relational Operator | Comparison |
| :---: | :---: |
| $<$ | less than |
| $>$ | greater than |
| $<=$ | less than or equal |
| $>=$ | greater than or equal |
| $==$ | equal |
| $!=$ | not equal |

- Note that "==" is used in relation statements


## Relations and Operators

- Relation statements may be combined using logical operators \& I and !

| Relational Operator | Resulting Comparison |
| :---: | :---: |
| $\&$ | logical and |
| ! | logical or |
| $!$ | logical not |

- For example (3 != 5) | ( $2>4$ ), is (TRUE) | (FALSE) and is thus TRUE, so $\mathbf{R}$ will have the value 1
- Use brackets to make sure the relation specified is the one intended


## for

- The syntax is

$$
\begin{aligned}
& \text { for (name in expr_1) } \\
& \text { expr_2 }
\end{aligned}
$$

- The index name starts out equal to the first element of expr_1
- Each time the for-loop is executed, name is set equal to the next entry in expr_2, etc.


## Example of Use of for

\# Calculate and print the first 6 elements
\# of the Fibonacci series
fibonacci <- numeric(6)
fibonacci[1] <- 1
cat("The 1st Fibonacci number is: ", fibonacci[1], "\n")
fibonacci[2] <- 1
cat("The 2nd Fibonacci number is: ", fibonacci[2], "\n")
for (i in 3:6)\{
fibonacci[i] <- fibonacci[i - 1] + fibonacci[i - 2]
cat("The ",i,"th Fibonacci number is: ", fibonacci[i], "\n'
\}

## Example of Use of for

> fibonacci <- numeric(6)
> fibonacci[1] <- 1
> cat("The 1st Fibonacci number is: ", fibonacci[1], "\n")
The 1st Fibonacci number is: 1
> fibonacci[2] <- 1
> cat("The 2nd Fibonacci number is: ", fibonacci[2], "\n")
The 2nd Fibonacci number is: 1
$>$ for (i in 3:6)\{

+ fibonacci[i] <- fibonacci[i - 1] + fibonacci[i - 2]
+ cat("The ", i, "th Fibonacci number is: ", fibonacci[i],
+ \}
The 3 th Fibonacci number is: 2
The 4 th Fibonacci number is: 3
The 5 th Fibonacci number is: 5
The 6 th Fibonacci number is: 8


## while

- The syntax is

```
while (condition)
    expr
```

- expr is executed while condition remains true
- Initialisation is usually required prior to entering the loop, and some change which will affect the logical expression within the loop


## Example of Use of while

\# Toss a die until a 6 is obtained
toss <- ceiling(6*runif(1)) \# ceiling function
count <- 1
while (toss != 6)\{
toss <- ceiling(6*runif(1))
cat('Toss ', count, ' was a ', toss, '\n')
count <- count + 1
\}
cat('There were ', count-2, ' tosses before the first 6\n')

## Example of Use of while

$>$ toss <- ceiling( $6 * r u n i f(1))$ \# ceiling function
$>$ count <- 1
$>$ while (toss != 6) \{
$+\quad$ toss <- ceiling(6*runif(1))
$+\quad$ cat('Toss ', count, ' was a ', toss, '\n')
$+\quad$ count <- count +1
$+\}$
Toss 1 was a 1
Toss 2 was a 5
Toss 3 was a 6
> cat('There were ', count-2, ' tosses before the first 6\n')
There were 2 tosses before the first 6

## Functions

- New functionality is added to $\mathbf{S}$ by defining new functions
- As a very simple example, define a function which squares its argument as follows:
> square <- function(x) x * x
- The expression function $(\mathrm{x}) \mathrm{x} * \mathrm{x}$ creates a function which is assigned as the value of the variable square
- The function has a single argument x and the value is multiplied by itself to provide the value of the function
- We can use this function in exactly the same way as any other S function
> square(10)
[1] 100


## Vectorisation

- Because the operation * acts element-wise on vectors, the new square function will also
> square(1:10)

| $[1]$ | 1 | 4 | 9 | 16 | 25 | 36 | 49 | 64 | 81 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| [10] | 100 |  |  |  |  |  |  |  |  |

- Using this fact we can write a simple sum-of-squares function
> sumsq <- function( x ) sum(square ( x ))
$>\operatorname{sumsq}(1: 10)$
[1] 385


## General Functions

- In general, an S function has the form:
function ( arglist ) body
where arglist is a (comma separated) list of variable names known as the formal arguments of the function, and body is a simple or compound expression known as the body of the function
- The general rule for evaluating a call to a function is to temporarily create a set of variables by associating the arguments passed to the function with the variable names in arglist, and then to use these variable definitions to evaluate the function body


## Example

- Consider the function defined by:
> hypot <- function(a, b) \{
$+\quad \operatorname{sqrt}\left(a^{\wedge} 2+b^{\wedge} 2\right)$
+ \}
and suppose we make a call to this function by typing:
$>\operatorname{hypot}(3,4)$


## [1] 5

- This function call is evaluated as follows:
- Temporary variables, a and b, are created with the values 3 and 4.
- These variable definitions are used to evaluate the expression sqrt ( $a^{\wedge} 2+b^{\wedge} 2$ ) to obtain the value 5.
- When the evaluation is complete the temporary definitions of $a$ and $b$ are removed.


## Optional Arguments

- S has a notion of default argument values which makes it possible for the writer of a function to specify reasonable default values for arguments, while still providing the flexibility users the option of overriding these defaults
- As an example, consider the following sum-of-squares function

```
> sumsq <- function(x, about = 0) {
+ sum((x - about)^2)
+ }
```

- The function definition provides a default definition for the about argument


## Example

- When invoked with just a single argument the function returns the sum of the squared values in that argument
> sumsq(1:10)


## [1] 385

- When provided with a value for the about argument, the function computes the sum of squared deviations about the specified value
> sumsq(1:10, mean(1:10))
[1] 82.5


## Argument Matching

- Because it is not necessary to specify all the arguments to $\mathbf{S}$ functions, it is important to be clear about which argument corresponds to which formal parameter of the function
- This can be done by providing a name for the argument explicitly.
> $\operatorname{sumsq}(1: 10$, about $=\operatorname{mean}(1: 10)$ )
[1] 82.5
- When names are provided for arguments, they are used in preference to position which matching up formal arguments and arguments
- For example
> sumsq(about $=\operatorname{mean}(1: 10), 1: 10)$
[1] 82.5
returns the same answer as the function call above


## The Argument Matching Process

- The general rule for matching formal and actual arguments is as follows.

1. Use any names provided with the actual arguments to determine the formal arguments associated with the named arguments. Partial matches are acceptable, unless there is an ambiguity.
2. Match the unused actual arguments, in the order given, to any unmatched formal arguments, in the order they appear in the function declaration.

## Argument Matching Example

- If sumsq is defined by

```
    > sumsq <- function(x, about \(=0\) ) \{
    \(+\quad \operatorname{sum}\left((x-a b o u t){ }^{\wedge} 2\right)\)
    \(+\}\)
```

then all the following calls to sumsq are equivalent.
$>$ sumsq(1:10, mean(1:10))
$>\operatorname{sumsq}(1: 10$, about=mean(1:10))
$>\operatorname{sumsq}(1: 10, a=$ mean $(1: 10))$
$>\operatorname{sumsq}(x=1: 10$, mean(1:10))
$>\operatorname{sumsq}($ mean $(1: 10), x=1: 10)$

## Dates and Times

## Dates and Times

- Dates and times are needed for time series, survival analysis etc
- Problems: time and date formats, time zones, daylight saving
- Classes Date, chron, POSIX (classes: POSIXct, and POSIXIt)
- Date is only dates, no times, chron is a bit old, POSIX classes are comprehensive but complicated
- Tasks
- read dates and times in different formats: as.Date, as.POSIXct, as.POSIXlt, strptime
- print dates and times in different formats: format.Date, strftime
- operate on dates and times: normal functions such as mean, cut, -, plus difftime


## Dates and Times

- Origin
- Date: days since January 1, 1970
- chron: days since January 1, 1970, fractions of days give times within days
- POSIXt: number of seconds since the beginning of 1970 in the GMT timezone (includes 22 leap seconds, see the object .leap.seconds)
- Date has no times, chron has times and dates, no timezones, POSIXt has times, dates and timezones
- Suggestion: use the simplest possible class which supports your needs
- Time zones are very tricky


## Dates and Times

- To read a date, use as.Date, as.chron, as.POSIXct, with optional format
- Formats are provided by format, and for POSIXct by strptime: see ?strptime for these
- Check what has been read in using unclass and as.character
- POSIXt is a super class containing POSIXct and POSIXIt
- POSIXct is a number of seconds
- POSIXIt is the number of seconds broken down into a list of 9 items: year, month, day of the month, hour, minute, second and a daylight saving flag


## Miscellanea

## Scope

- A major difference between S-PLUS and R
- Symbols in the body of a function are:
- formal parameters: occurring in the argument list, values determined by binding actual function arguments to formal parameters
- local variables: values determined from expressions in the function body
- other variables called free variables: become local if values are assigned to them

```
f <- function(x){
    y <- 2*x
    print(x)
    print(y)
    print(z)
}
```

- x is a formal parameter, y a local variable, z a free variable


## Scope

- In $\mathbf{R}$ the free variable bindings are resolved by looking in the environment in which the function was created: called lexical scope
- Consider a function cube

```
cube <- function(n){
        sq <- function() n*n
        n*sq()
    }
```

- Then cube (2) in $\mathbf{R}$ gives the answer 8.
- Useful for maximum likelihood determination using optim() or nlm() (see later).


## Customizing the Environment

- R can be invoked with a number of options: the following assumes that it is started with just the defaults
- For details, check the manual An Introduction to $R$ http://cran.stat.auckland.ac.nz/doc/manuals/R-intro.pdf or use help (Startup)
- Note that this area has changed recently and there may be differences between versions of $\mathbf{R}$
- There are also differences between operating systems
- Customisation is possible at the site level, the user level, and the directory level
- Note that $\mathbf{R}$ is installed as a directory tree at a particular location in the file system which is referred to as R_HOME and may be pointed to by the environment variable \$R_HOME


## Customizing the Environment

- The startup routine is basically as follows:
- The site file is read—either as pointed to by R_ENVIRON or at R_HOME/etc/Renviron.site
- The site-wide startup profile is read—either as pointed to by R_PROFILE or at R_HOME/etc/Rprofile.site
- R searches for .Rprofile in the current directory or in the user's home directory (in that order) and sources it
- It loads a saved image from . RData if there is one
- It executes a .First function if there is one. This function can be specified in the startup profiles, or in .RData


## Installing Packages

- Details regarding installation are given in the manual $R$ Installation and Administration
http://cran.stat.auckland.ac.nz/doc/manuals/R-admin.pdf
- Note that this area has changed recently and there may be differences between versions of $\mathbf{R}$
- There are also differences between operating systems
- Packages are installed in libraries
- R comes with a single library R_HOME/library which contains the standard and recommended packages
- The location of the main library is given in the character string .Library
> .Library
[1] "/usr/local/lib/R/library"


## Installing Packages

- First of all you must create a directory where packages will be installed: suppose it is called RLIBS
- Then you must set the environment variable R_LIBS to point to that directory: In bash use
export R_LIBS=RLIBS
- Include this in your . bashrc so that your R_LIBS will be automatically set when you start a shell
- Now start up R. To install the package xtable, use install.packages ("xtable", repos="http:/cran.stat.auckland.ac.nz")
- Note that this will install from the Statistics Department's local CRAN mirror site so will not incur any costs for internet use
- From 2.5.0, R can have a site-specific libraries and user libraries


## Mathematical Annotation

- Pass an expression rather than a character string to text, mtext, axis, or title
- Will give Greek and other symbols, super and subscripts
- Like a poor man's TEX
- In an expression
- alpha, beta etc. will give the corresponding Greek letter
- Superscripts obtained using ^
- Subscripts obtained using square brackets [ ]
- See the plotmath function


## Probability Distributions

- For many distributions there are functions to calculate the density function, cumulative distribution function, quantile function, and to generate random observations
- The function name is comprised of the abbreviated distribution name and a prefix
- The prefixes are d, p, q, and r
- For example for the Poisson we have dpois, ppois, qpois, and rpois


## Optimisation

- This is a common task: e.g. for maximum likelihood
- Two functions optim() and nlm()
- optim() has a number of optimisation methods, can use derivatives if available


## An Extended Example: the Weibull Distribution

## Weibull example from Devore (2000)

Let $X_{1}, \ldots, X_{n}$ be a random sample from a Weibull pdf

$$
f(x ; \alpha, \beta)= \begin{cases}\frac{\alpha}{\beta^{\alpha}} x^{\alpha-1} e^{-(x / \beta)^{\alpha}} & x \geq 0 \\ 0 & \text { otherwise }\end{cases}
$$

Writing the likelihood and In(likelihood), then setting both $(\partial / \partial \alpha)[\ln (f)]=0$ and $(\partial / \partial \beta)[\ln (f)]=0$ yields the equations

$$
\alpha=\left[\frac{\sum x_{i}^{\alpha} \ln \left(x_{i}\right)}{\sum x_{i}^{\alpha}}-\frac{\sum \ln \left(x_{i}\right)}{n}\right]^{-1} \quad \beta=\left(\frac{\sum x_{i}^{\alpha}}{n}\right)^{1 / \alpha}
$$

These two equations cannot be solved explicitly to give general formulas for the mle's $\widehat{\alpha}$ and $\widehat{\beta}$. Instead, for each sample $x_{1}, \ldots, x_{n}$, the equations must be solved using an iterative numerical procedure.

## Weibull example in $R$

- Regard the problem of calculating MLEs as an optimization problem. Usually it is easier to optimize the log-likelihood rather than the likelihood itself. The parameter values that optimize the log-likelihood are also the MLEs.
- Probability density functions (probability functions for discrete distributions) have names starting with d - dnorm, dbinom, dunif, dweibull.
- All density functions take an optional argument log which, when TRUE causes evaluation of the log-density.
- The recipe becomes:

Regard the parameters as the variables and sum the log density for your distribution using your data.

## An R session on the Weibull example

```
> library(Devore5)
> data(xmp04.30) # import the data
> str(xmp04.30) # examine the structure
'data.frame': 10 obs. of 1 variable:
    $ lifetime: num 282 501 741 851 1072 ...
> # Reasonable starting estimates are shape = 1, scale = 1000
> # Do a simple evaluation at this set of parameters
> sum(dweibull(xmp04.30$lifetime, shape=1, scale=1000, log=TRUE))
[1] -80.47655
> # Optimization functions minimize so use negative log-likelihood
> llfunc <- function(x) { # express as a function
+ -sum(dweibull(xmp04.30$lifetime, shape=x[1], scale=x[2], log=TRUE))
+ }
> mle <- nlm(llfunc, c(shape = 1, scale = 1000), hessian = TRUE)
```


## Results of the Weibull example

```
> str(mle) # structure of the returned value
List of 6
    $ minimum : num 77.1
    $ estimate : num [1:2] 2.15 1289.34
    $ gradient : num [1:2] -1.50e-05 2.98e-08
    $ hessian : num [1:2, 1:2] 3.75e+00 -3.20e-03 -3.20e-03 2.78e-05
    $ code : int 1
    $ iterations: int 20
> solve(mle$hessian) # approximate variance-covariance matrix
    [,1] [,2]
[1,] 0.2959642 34.06422
[2,] 34.0642200 39835.81998
```

We see that the maximum of the log-likelihood is -77.1 , achieved at $\widehat{\alpha}=2.15$ and $\widehat{\beta}=1289.34$. The approximate standard errors of the estimates are $0.544=\sqrt{0.29596}$ and $199.6=\sqrt{39835.82}$. We can use the standard errors to determine a grid of $(\alpha, \beta)$ values for contouring the log-likelihood function.

## Plotting the density at the estimates

```
> plot(function(x) dweibull(x, shape = 2.15, scale = 1289.34), 0, 3000,
+ col = "red", xlab = "lifetime (hr)", ylab = "density",
+ main = "Weibull density using MLEs from the lifetime data")
> rug(xmp04.30$lifetime, col = "blue")
```

Weibull density using MLEs from the lifetime data


## Contouring the log-likelihood function

```
grid <- matrix(0.0, nrow = 101, ncol = 101)
scvals <- seq(0.5, 3.5, len = 101) # scale parameter
> shvals <- seq(500, 2500, len = 101) # shape parameter
> for (i in seq(along = scvals)) {
+ for (j in seq(along = shvals)) {
+ grid[i,j] <- llfunc(c(scvals[i], shvals[j]))
+ }
+ }
> contour(scvals, shvals, grid, levels = 77:85)
> points(mle$estimate[1], mle$estimate[2], pch = "+", cex = 1.5)
> title(xlab = expression(alpha), ylab = expression(beta))
> # Or use levels calculated from the chi-square distribution
> contour(scvals, shvals, grid,
+ levels = mle$min + qchisq(c(0.5,0.8,0.9,0.95,0.99), 2),
+ labels = paste(c(50,80,90,95,99), "%", sep = ""))
```


## Log-likelihood contours - Weibull




## Lessons from the Weibull example

- The likelihood function is the same as the probability density but with the parameters varying and the data fixed.
- For a random sample, the log-likelihood is

```
sum(d<distname>(<data>, par1, par2, ..., log = TRUE))
```

- We minimize the negative of the log-likelihood

```
llfunc <- function(x)
    -sum(d<distname>(<data>, par1 = x[1], ..., log = TRUE))
mle <- nlm(llfunc, <starting estimates>, hessian = TRUE)
```

- The inverse of the hessian provides an estimate of the variance-covariance matrix.
- For two-parameter models we can evaluate a grid of log-likelihood values and get contours.
- Standard errors from the inverse hessian are not always realistic indications of the variability in the parameter estimates.


## S Graphics

## Ross Ihaka on Graphics

Ross has a set of slides on graphics which I will use at this point

## Trellis Graphics with lattice

## Trellis Graphics

- A new form of graphical display used especially for grouped data
- Trellis displays are plots with one or more panel arranged on a regular grid-like structure
- Panels are the same type of graph for a subset of the data
- Subsets are chosen by conditioning on continuous or discrete variables in the data
- This account draws very heavily on A Tour of Trellis Graphics by Richard A. Becker, William S. Cleveland, and Ming-Jen Shyu, and includes verbatim quoting from that document.
- Cleveland is probably the driving force behind Trellis Graphics
- In R Trellis Graphics are implemented using the package lattice, which in turn is based on grid, a new graphical engine.


## Trellis Graphics Example

- Example showing the latitude and longitude at different depths for earthquakes near Fiji. See ?quakes.



## Trellis Graphics

- Graphics is a strong point of $\mathbf{R}$ and the $\mathbf{S}$ language
- Standard graphics consist of high-level plotting functions (boxplot, hist, qqplot) and low-level functions to augment existing plots lines, segments, points, text)
- It is possible to produce multiple plots using mfrow, mf col and layout
- A coordinated set of plots with control over aspect ratios and axes is more difficult
- Trellis provides a unifying framework for multipanel displays based on conditioning
- Also excellent for single panel displays
- Executing a trellis expression produces a trellis object which is usually displayed (unless assigned a name or used in further calculations)


## Example

- A simple trellis plot can be produced as follows xyplot(NOx ~E, data=ethanol)
- The ethanol data set relates the production of nitrous oxide (NOx) to the equivalence ratio (a measure of richness of the fuel/air mixture)
- First argument is a formula
- A modification produces a number of similar plots conditional on the compression ratio (C) which has 5 values
xyplot(NOx ~ ElC, data=ethanol)
- We can change the layout of the panels
xyplot (NOx ~ E|C, data=ethanol, layout=c $(2,3,1)$ )
produces 2 columns and 3 rows on 1 page


## Example

- If we try and condition on a variable which takes a lot of values we get a lot of very small uninformative graphs
- We can condition instead on intervals from the range of a variable
- equal .count constructs shingles from the data with a specified number of intervals, and a specified overlap between successive intervals

```
EE <- equal.count(ethanol$E, number = 9,overlap = 1/4)
```

- We can then plot against EE
xyplot(NOx ~ C|EE, data=ethanol, aspect=2)
- subset allows restriction of the plots to part of the data
xyplot(NOx ~ C|EE, data=ethanol, subset=C > 8)


## Example

- barley data gives yield of barley for 6 sites for 2 years dotplot(variety ~ yield| year*site, data = barley,
xlab = "Barley Yield (bushels/acre)")


## Panel Functions

- For standard graphs, panel functions are provided: panel.xyplot, panel.dotplot, panel.histogram
- Panels can also be constructed specially, for example by combining two panels
- For example, here is a plot which has a loess smooth added xyplot (NOx ${ }^{\sim} E \mid C$, data $=$ ethanol, panel $=$ function $(x, y)$ panel. xyplot ( $x, y$ ) panel.loess ( $\mathrm{x}, \mathrm{y}$ )
)


## Practicalities

- In a for loop, printing is suppressed to avoid excessive output, explicit print or cat statements must be used
- Likewise in a for loop trellis plots are not produced unless an explicit print command is used
- The colors for trellis plots have been optimised for screen display
- If you intend to include a trellis plot in a printed document it is recommended that other colours be used
- The usual way to do this is via
trellis.par.set(theme = col.whitebg())
- This is an example of setting parameters for trellis plots which differs from ordinary graphics
- See ?trellis.par.set or ?trellis.par.get


## Sweave

## Sweave

- Traditionally, to produce a report of a statistical analysis would require the following steps:
- Analyse the data, obtaining summaries, tables, graphs etc
- Write the report in ${ }^{L A T} T_{E}$ copying the numeric results into the document, and using \includegraphics to incorporate the graphs or figures
- This process might be made easier by using xtable to format tabular output to make it suitable for ${ }^{4} T_{E} X$
- Sweave enables reports to be prepared using a single document which contains the $\mathbf{R}$ code to carry out the analysis, and the ${ }^{\Delta T}{ }^{T} \mathrm{E}$ formatting to produce the report


## Sweave

- The source file containing the $R$ code and ${ }^{A} T_{E} X$ formatting is run through $\mathbf{R}$ first which results in all the data analysis output being including in the resulting ${ }^{\Delta} T_{E} X$ file
- This file is then processed by ${ }^{\Delta T} T_{E} X$ or pdflaTEX in the usual manner to produce the final formatted report
- There are many advantages:
- The report can be readily updated, if for example new data is obtained
- Regular reports can be easily run each month say, just by supplying new dates and new data
- Research is readily reproducible with all the material required in a single file
- The tedious and error-prone procedure of transferring output from $\mathbf{R}$ into a $\mathbb{L A}_{\mathrm{E}} \mathrm{X}$ document is avoided


## Sweave

- Sweave source files are noweb files with some additional syntax to allow control over the final output
- The usual extension for them is .Rnw
- Nonweb is a programming tool which allows program source code and documentation to be included in a single file
- Noweb files consist of segments of code and of documentation called chunks
- Different programs are used to extract the code ("tangle") or typeset documentation together with the code ("weave")
- <<. . .>>= at the start of a line marks the start of a code chunk
- @ at the start of a line marks the start of a documentation chunk


## Sweave

- In the noweb syntax shown above, options can be included in the angled brackets to either show or not show the code, and to show or not show the results
- By default both code and results are shown
- To hide the code, use echo=false, to hide results, use results=hide
- Then both are hidden using
<<echo=false, results=hide>>
- To include an S object in the text (as opposed to in displayed text), use Sexpr\{\}


## Sweave

- As an alternative to the noweb sysntax described above for chunks of code, LLTEX syntax can be used
- Here is an example from the article by Friedrich Leisch who is responsible for Sweave
\begin\{Scode\}\{echo=false, results=hide\} }
library(lattice)
library (xtable)
data(cats, package="MASS")
\end\{Scode\} }
- XEmacs provides support for .Rnw files: most importantly, to include a code chunk, use M-n i


## Processing Sweave Documents

- In R use
library(tools)
Sweave("sweavefile.Rnw")
- Run $\mathbb{L T}_{E} X$ on the resulting document
- It is possible to use a Makefile also which processes the document as a batch job submitted to $R$ and then runs $L T_{E} X$ sweave: \$(FILENAME).Rnw

```
echo "library(tools); Sweave(\"$(FILENAME).Rnw\")" |
            R --no-save --no-restore --slave
latex $(FILENAME)
dvips -o $(FILENAME).ps $(FILENAME).dvi
ps2pdf $(FILENAME).ps $(FILENAME).pdf
```

- Note that the line beginning with echo should not be broken after the pipe symbol in the actual file


## Writing R Functions and Packages

## Package Structure

- Packages provide a set of functions along with documentation which can extend the capability of $\mathbf{R}$.
- Typically the functions provided form a coherent set of procedures: for example HyperbolicDist provides a set of functions which dealt with the hyperbolic distribution
- A package consists of a subdirectory containing a file called ' $\operatorname{DESCRIPTION'}$ ' and the sub-directories 'data', 'demo', 'exec', 'inst' 'man', 'po', 'src', and 'tests' not all of which need be present.
- The subdirectory may also contain files 'INDEX', 'NAMESPACE', 'configure', 'cleanup' and 'COPYING'
- Files like 'README', 'NEWS', and 'ChangeLog' are ignored by $\mathbf{R}$ but are possibly useful to users


## Files

- Files 'configure' and 'cleanup' are Bourne shell script files executed before and after installation on Unix
- 'COPYING' contains a copy of the license to the package: should be just a reference to copies elsewhere (in share/licenses')
- The subdirectory name should be the same as the package name
- Names may not include '"', '*','/','<','>','?', ’' and '।'
- The function package. skeleton can be used to create the structure for the new package


## The DESCRIPTION File

## - This file should have the form

Package: pkgname
Version: 0.5-1
Date: 2004-01-01
Title: My first collection of functions
Author: Joe Developer [Joe.Developer@some.domain.net](mailto:Joe.Developer@some.domain.net), with contributions from A. User [A.User@whereever.net](mailto:A.User@whereever.net).
Maintainer: Joe Developer [Joe.Developer@some.domain.net](mailto:Joe.Developer@some.domain.net)
Depends: R (>= 1.8.0), nlme
Suggests: MASS
Description: A short (one paragraph) description of what the package does and why it may be useful.
License: GPL version 2 or newer
URL: http://www.r-project.org, http://www.another.url

## Package Subdirectories

- The R subdirectory contains $\mathbf{R}$ code in one or more files preferably with the extension .R
- It should be possible to read in the files using source() so $\mathbf{R}$ objects should be created by assignments
- The man subdirectory should contain documentation files for the objects in the package in $R$ documentation (Rd) format
- File names must start with a letter and have the extension .Rd
- C, C++, and FORTRAN code goes in the 'src' directory
- Source code is compiled and linked using Make when R CMD InSTALL is run


## Package Subdirectories

- The 'data' subdirectory is for data files which can be loaded using data()
- Data files can be plain $\mathbf{R}$ code (with extension .R), tables (with extension '.tab', '.txt', or .csv), or save() images (with extension '. Rdata' or '.rda')
- The 'demo' subdirectory is for $\mathbf{R}$ scripts, and needs a '00Index' file with one line for each demo, giving its name and description
- Subdirectory 'tests' is for test code


## Checking Packages

- R CMD check is the package checker. It checks such things as
- missing cross references and duplicate aliases in help files
- valid filenames (for all operating systems)
- valid syntax in R files
- correct syntax and meta data in Rd files
- no missing documentation entries
- Also various code is exercised
- examples in documentation are run
- tests are run
- if a working $\mathbb{L T}_{E}$ Xis present, a '. dvi' version of the package's manual is created


## Building Packages

- R CMD build builds a package from its sources
- The package is created in gzipped tar format
- Some checks and cleanups are performed


## Name Spaces

- This is a mechanism to prevent interference of two packages which happen to use objects of the same name
- Specifies which variables in the package are to be exported to make them available to package users, and which are to imported from other packages
- Implemented by placing a 'NAMESPACE' file in the top level package directory
- ' NAMESPACE' file contains name space directives
- Packages with name spaces are loaded and attached to the search path by calling library but only the exported variables are placed in the attached frame


## Name Spaces

- The export directive is of the form export (f,g) where $f$ and $g$ are variables to be exported
- A regular expression can be used with exportPattern
- Imports are specified with import:
import(foo,bar)
which imports all variables from packages foo and bar
- importFrom imports from a named package: importFrom(foo,f,g)
- The usual method of fully specifying a variable can also be used, as foo: :f but this is inefficient and not recommended
- To use S3 method dispatch, methods should be registered: S3method (print,foo) ensures that print. foo will be used as a print method for class foo


## S4 Classes and Methods

## S4 Classes and Methods

I will use the slides of Yong Wang for this topic

